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PARAMETRIC BLUR ESTIMATION USING MODIFIED RADON TRANSFORM FOR NATURAL IMAGES RESTORATION

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Abstract— **The main objective of this paper is blur estimation for blind restoration of natural images. This project estimate parameters of two blur such as linear motion and Out-of-Focus. Two modifications are introduced to the transform, which allow the identification of the blur spectrum pattern of the two types of blur. The blur parameters are identified by fitting an appropriate function that accounts separately for the natural image spectrum and the blur frequency response. The identification of the blur parameters is made by fitting appropriate functions that account separately for the natural image spectrum and the blur spectrum. The accuracy of the proposed method is validated by simulations results, and the effectiveness of the this method is assessed by testing the algorithm on real natural blurred images and comparing it with state-of-the-art blind de-convolution methods.**

Keywords—Restoration, linear motion, out-of-focus, local minima, root mean square.

I. INTRODUCTION

Image restoration is the operation of taking a corrupted/noisy image and estimating the clean original image. Corruption may come in many forms such as motion blur, noise and camera mis-focus. The linear motion can be of two types: (i)uniform linear motion with constant velocity or zero acceleration(ii)non uniform linear motion with variable velocity or non-zero acceleration. Uniform linear motion normally relates to the movement of an object with constant speed or constant variation in related parameters. Non uniform linear motion naturally refers to the circular motion, this mainly varies with radius only. An image, or image point or region, is in focus if light from object points is converged almost as much as possible in the image, and out of focus if light is not well converged. There are two main alternative approaches to BID: (i)simultaneously estimate the image and the blur (ii) obtain a blur estimate from the observed image and then use it in a non-blind de-blurring algorithm. Image de-blurring is an inverse problem whose aim is to recover an image from a version of that image which has suffered a linear degradation, with or without noise. This blurring degradation may be shift variant or shift invariant. Common motion types include: uniform velocity, acceleration motion and vibrations. Zero patterns of the blurred image in the spectral domain only appear in the case of uniform velocity motions.

Blur travels in a single direction, horizontally. In this case, Length means as Radius in other filters: it represents the blur intensity. More Length will result in more blurring. Angle describes the actual angle of the movement. Thus, a setting of 90 will produce a vertical blur, and a setting of 0 will produce a horizontal blur. Motion blur is the apparent streaking of rapidly moving objects in a still image or a sequence of images such as a movie or animation. It results when the image being recorded changes during the recording of a single frame, either due to rapid movement or long exposure. Motion blur that creates a circular blur. The Length slider is not important with this type of blur. Angle on the other hand, is the primary setting that will affect the blur. More Angle will result in more blurring in a circular direction. The Radial motion blur is similar to the effect of a spinning object. The center of the spin in this case, is the center of the image. Motion blur is the apparent streaking of rapidly moving objects in a still image or a sequence of images such as a movie or animation. It results when the image being recorded changes during the recording of a single frame, either due to rapid movement or long exposure.

Image blur is caused either by the camera motion or by the object motion. Camera motion is the camera vibration when shutter is pressed. Image blur is introduced in a number of stages in a camera. The most common sources of image blur are motion , defocus and aspects inherent to the camera, such as pixel size , sensor resolution, and the presence of anti-aliasing filters on the sensors.

II. EXISTING SYSTEM

The Radon transform of the spectrum of the blurred image has been proposed for motion blur estimation .The idea is that along the direction perpendicular to the motion, the zero

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pattern will correspond to local minima. The motion angle can thus be estimated as the one for which the maximum of the Radon transform occurs, or that for which the entropy is maximal. The motion blur length is then estimated using fuzzy sets and cepstral features. Instead of working directly on the spectrum of the blurred image, the method in exploits the same ideas on the image gradients. Other methods exploiting the existence of zero patterns in the Fourier domain include the Hough transform employed in and the correlation of the spectrum with a detecting function. Traditional motion-blurred image restoration methods are algebraic methods and frequency domain methods. Algebraic methods estimate the original image with pre-selected statistical criteria, and are used mainly in spatial domain. The frequency domain methods eliminate blur with various filters. Both algebraic methods and frequency domain methods have some disadvantages: algebraic methods cannot ensure the result image is the optimum estimation, while the frequency domain methods need to process the noise amplification caused by zero points of transfer function

A. Inverse Radon Transform Definition

The iradon function inverts the Radon transform and can therefore be used to reconstruct images.
As described in Radon Transform, given an image I and a set of angles theta, the radon function can be used to calculate the Radon transform.

R = radon(I,theta) (1)

The function iradon can then be called to reconstruct the image I from projection data.

IR = iradon(R,theta) (2)

In the example above, projections are calculated from the original image I. Note, however, that in most application areas, there is no original image from which projections are formed. For example, the inverse Radon transform is commonly used in tomography applications. In X-ray absorption tomography, projections are formed by measuring the attenuation of radiation that passes through a physical specimen at different angles. The original image can be thought of as a cross section through the specimen, in which intensity values represent the density of the specimen. Projections are collected using special purpose hardware, and then an internal image of the specimen is reconstructed by iradon. This allows for non invasive imaging of the inside of a living body or another opaque object. iradon reconstructs an image from parallel-beam projections. In parallel-beam geometry, each projection is formed by combining a set of line integrals through an image at a specific angle.

B. Improving the Results

Inverse radon uses the filtered back projection algorithm to compute the inverse Radon transform. This algorithm forms an approximation of the image I based on the projections in the columns of R. A more accurate result can be obtained by using more projections in the reconstruction. As the number of projections (the length of theta) increases, the reconstructed image IR more accurately approximates the original image I. The vector theta must contain monotonically increasing angular values with a constant incremental angle D-theta. When the scalar D-theta is known, it can be passed to i-radon instead of the array of theta values. Here is an example.

IR = i-radon(R,Dtheta) (3)

The filtered back projection algorithm filters the projections in R and then reconstructs the image using the filtered projections. In some cases, noise can be present in the projections. To remove high frequency noise, apply a window to the filter to attenuate the noise. Many such windowed filters are available in iradon.

Inverse radon also enables you to specify a normalized frequency, D, above which the filter has zero response. D must be a scalar in the range [0,1]. With this option, the frequency axis is rescaled so that the whole filter is compressed to fit into the frequency range [0,D]. This can be useful in cases where the projections contain little high-frequency information but there is high-frequency noise. In this case, the noise can be completely suppressed without compromising the reconstruction. The following call to i-radon sets a normalized frequency value of 0.85.

IR = iradon(R,theta,0.85) (4)

III. PROPOSED METHOD

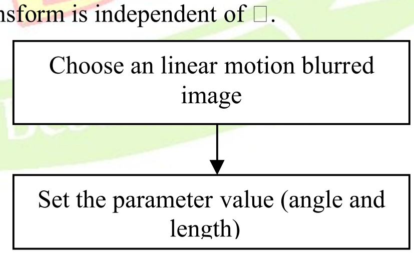
The proposed system is used to estimate the parameters of linear uniform motion blurs and out-of-focus blurs by using the Modified Radon Transforms. The two different ways of Modified RT are described below and the methods of .

A. Radon-d Transform

The Radon-d modification of the RT performs integration over the same area, independently of the direction of integration. Radon-d transform of a natural image can be approximated by a line, as a consequence of the fact that the spectrum follows the power law. To approximate the Radon-d transform of a natural image fitting a third order polynomial

$$R_d(\log|F|, \rho, \theta) \approx a\rho^3 + b\rho^2 + c\rho + d. \quad (5)$$

This transform is independent of □.



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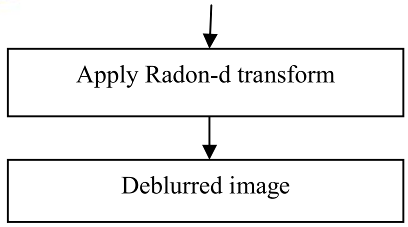

Fig: 3.1 Block diagram of a Radon-d transform

Linear Motion Blur

Linear motion blur means the linear movement of the entire image, along one direction The linear motion blur estimation will be done in two phases: (i) angle estimation; (ii) motion length estimation. The angle estimate is that for which the maximum of the RT occurs; naturally, this only works for very long blurs, so that the blurred image is very smooth in the motion blur direction, leading to a clear maximum of the RT.

In continuous domain, the angle depends on direction of motion and length depends on the speed and duration of exposure. In discrete domain both the angle and length depends on time spent to recover the image.

B. Radon-c transform

The Radon-c modification of the RT performs integral over the circular area. This transform takes the value of the logarithm of the spectrum magnitude of the natural image.

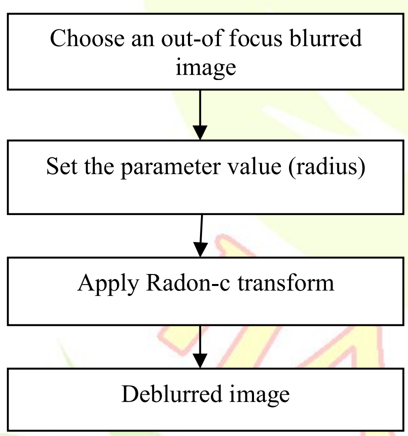

Fig:3.2 Block diagram of a Radon-c transform

Out-of-Focus

Out-of-focus blurring mainly occurs due to mis-focus while using camera, when the focal plane is away from the sensor plane. If mis-focus is larger than the radius of the obtained image will be large which will cause blur . In order to get original image focal distance should be set to be infinity.

In continuous domain, radius depends on the focal intensity. In discrete domain, it will depends on the pixel values.

C. Performance Metrics

Peak Signal-to-Noise Ratio (PSNR)

Peak signal-to-noise ratio, is a term for the ratio between the maximum possible power of a signal and the power of corrupting noise that affects the fidelity of its representation. Because many signals have a very wide dynamic range, PSNR is usually expressed in terms of the logarithmic decibel scale. PSNR is most commonly used to measure the quality of reconstruction of lossy compression codecs. A higher PSNR generally indicates that the reconstruction is of higher quality

The peak signal-to-noise ratio (PSNR) is used to evaluate the quality between the enhanced image and the original image. The PSNR formula is defined as follows:

$$PSNR = 10 X \log_{10} \frac{255 X 255}{\frac{1}{HXW}\sum_{x=0}^{H-1}\sum_{y=0}^{W-1}[f(x,y) - g(x,y)]^2} dB \quad (6)$$

Mean Squared Error Rate(MSE)

The mean square error or MSE of an estimator is one of many ways to quantify the difference between an estimator and the true value of the quantity being estimated. As a loss function, MSE is called squared error loss.

$$MSE = \frac{1}{n}\sum_{i=1}^{n}(\bar{Y}_i - Y_i)^2 \quad (7)$$

Root Mean Squared Error Rate(RMSE)

RMSE is frequently used to measure the difference between values predicted by a model or an estimator and the values actually observed. Its the square root of the mean squared root error value.

$$RMSE = \sqrt{\frac{1}{n}\sum_{i=1}^{n}(\hat{Y}_i - Y_i)^2} \quad (8)$$

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IV. RESULT AND DISCUSSION

A Linear Uniform Motion Blur

Fig: 4.1 a)original image b) linear uniform motion blur image c)de-blurred image

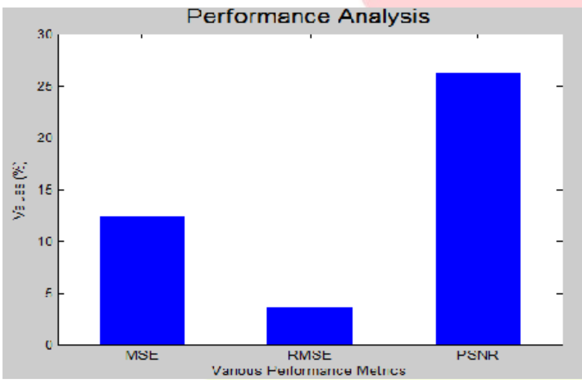

Fig: 4.2 Performance analysis of Linear Uniform Motion

B Out-Of-Focus Blur

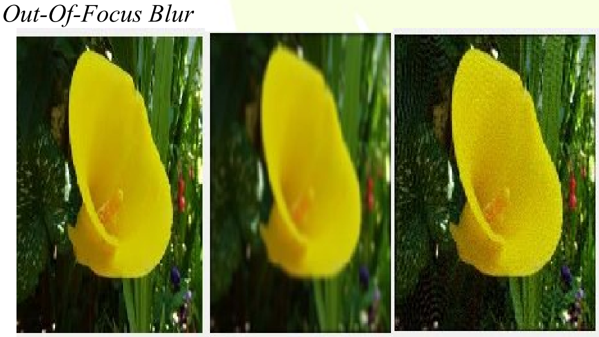

Fig: 4.3 a)original image b)out-of-focus blur image c)de-blurred image

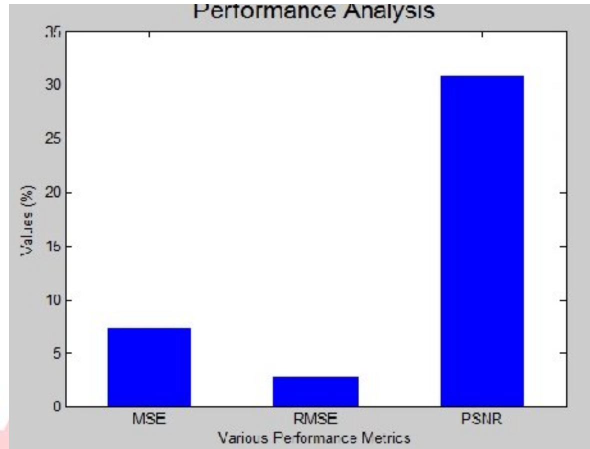

Fig: 4.4 Performance Analysis of Out-of- Focus

IV. CONCLUSION AND FUTURE WORK

This proposed a new method to estimate the parameters for two standard classes of blurs: linear uniform motion blur and out-of-focus. These classes of blurs are characterized by having well defined patterns of zeros in the spectral domain. To identify the patterns of linear motion blur and out-of-focus blur, introduced two modifications to the Radon transform, i.e. Radon-d and Radon-c. The accuracy of the proposed method was validated by simulations, and its effectiveness was assessed by testing the algorithm on real blurred natural images. This modified radon transform is very fast and accurate. In future, this algorithm can be implemented in video processing also. By implementing this algorithm, loss of information can be rectified. This can be used in biometrics applications where the images are blurred due to shaking of hand and variation in shutter speed.

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